

# Geometry of dragonfly wing sections - Influence on lift and drag

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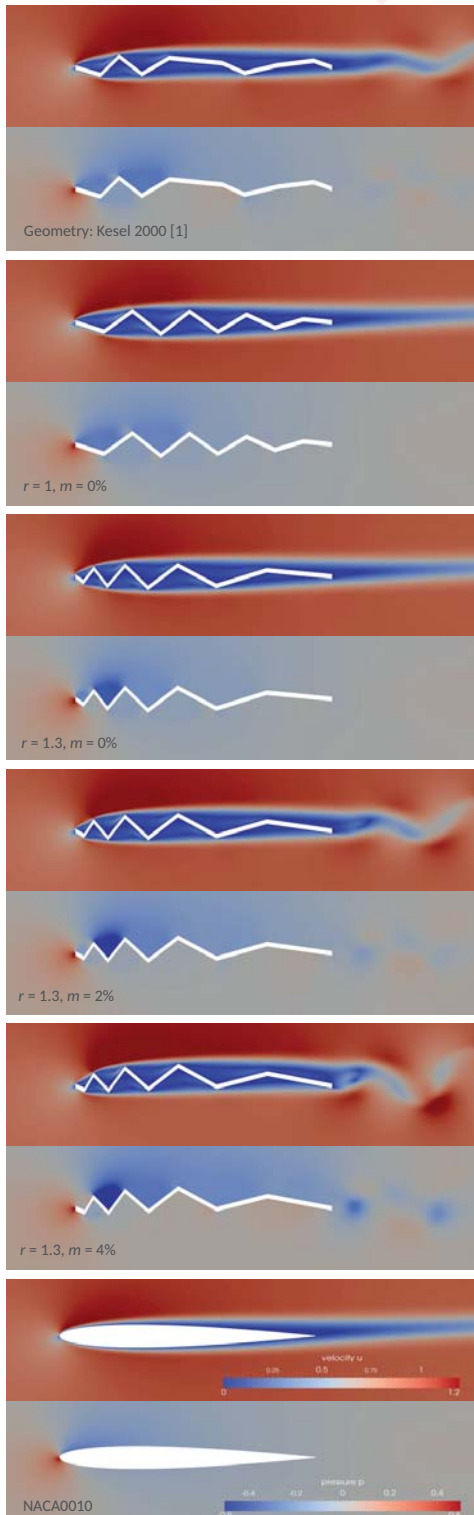


Fig. 1: Dimensionless velocity and pressure fields of flows around dragonfly wing section from [1], corrugated wing sections (different expansion factors  $r$ , cambers  $m$ ) and NACA0010, all at angle of attack of  $3^\circ$  and Reynolds number of 4000.

## Introduction

Wing sections of dragonflies exhibit corrugated profiles. Previous investigations reveal for Reynolds numbers up to  $Re = 16000$  and an incidence of  $3^\circ$  that the lift to drag ratios of a dragonfly wing section are superior to those of an ordinary symmetric NACA0010 profile. This work intends to contribute to the question: Which influence does the geometry of dragonfly wing sections exert on lift and drag. Therefore, the wing section is abstracted by a sequence of 9 line elements. Length and arrangement of elements are calculated by mathematical functions. Parameters are length distribution of line elements (expansion factor  $1.0 \leq r \leq 1.4$ ) and camber  $0\% \leq m \leq 4\%$ . Results are obtained by computational fluid dynamics. At  $Re = 4000$  and angles of attack  $-3^\circ \leq \alpha \leq 3^\circ$  lift and drag coefficients are compared to those of wing sections of an original dragonfly [1] and a NACA0010 profile.

## Results and Discussion

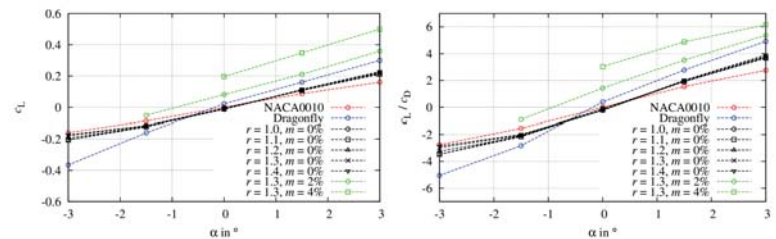


Fig. 2: Lift coefficient  $c_L$  and ratio of lift to drag coefficient  $c_L/c_D$  versus angle of attack  $\alpha$  for different wing section profiles: NACA0010, dragonfly (Kesel 2000), constructed profiles with various expansion factors  $r$  and cambers  $m$ .

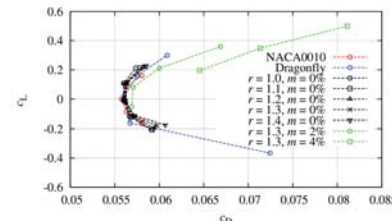


Fig. 3: Lift coefficient  $c_L$  versus drag coefficient  $c_D$  for different wing section profiles.

**Aerodynamics of dragonfly wing sections seems to be strongly influenced by camber but less by distribution of the lengths of line elements**

- With growing incidence  $\alpha$  and camber  $m$  an increase in lift and drag coefficient ( $c_L, c_D$ ) arises, which is in accordance with [2]. This results from rising velocity and diminishing pressure at the upper side of the wing sections (Fig. 1 - Fig. 3).
- In the investigated ranges, incidence  $\alpha$  and camber  $m$  exert a much higher influence on  $c_L$  and  $c_D$  than expansion factor  $r$ . The distribution of lengths of line elements seems to be of minor relevance for aerodynamics in comparison to camber (Fig. 2, Fig. 3).
- At constant incidence  $\alpha$  and growing camber  $m$  the flow can descend to a transient state. In the wake of the corresponding profiles, a Kármán vortex street appears (Fig. 1).
- Results indicate: With adequate choice of expansion factor  $r$  and camber  $m$ , the aerodynamic properties of the dragonfly wing section may be emulated - to be proven in future.

## Material and Methods

The coordinates of the endings of each line element in direction of chord line are calculated by a geometric series and perpendicular to chord line by a NACAxx10 profile. Maximum camber occurs at 40% of chord length. For  $r = 1$  the projection lengths to chord line of all line elements are equal, for  $r > 1$  the projection length of elements increases from leading to trailing edge.

All quantities are normalized. Characteristic quantities are cord length  $l$ , depth  $b$  of the profiles, inflow velocity  $u_{inf}$  and density  $\rho$  of the fluid. Flow velocity is normalized by  $u_{inf}$  and pressure by  $\rho u_{inf}^2$ . Reynolds number, drag and lift coefficient are defined as follows

$$Re = \frac{\rho u_{inf} l}{\mu}, \quad c_D = \frac{F_D}{1/2 \rho u_{inf}^2 l b}, \quad c_L = \frac{F_L}{1/2 \rho u_{inf}^2 l b}$$

Continuity and momentum equation for constant fluid properties and two-dimensional flow

$$\frac{\partial u_i}{\partial x_i} = 0, \quad \frac{\partial u_i}{\partial t} + \frac{\partial u_i u_j}{\partial x_j} = -\frac{\partial p}{\partial x_i} + \frac{1}{Re} \frac{\partial^2 u_i}{\partial x_j^2}$$

are solved by the open-source code OpenFOAM. The discretisation is of second order in time and space (transient term: three-time-level scheme, convective term: LUST). A structured grid is used for NACA0010 (270 864 cells) and a hybrid grid for the dragonfly profiles (around 390 000 cells). In both cases, the edge length of the smallest cell at the surfaces of the profiles amounts to  $10^{-5}$ . The maximum Courant number is 0.8 and the blocking of the profiles less than 0.5%.

## Literature

- [1] Kesel AB (2000) Aerodynamic characteristics of dragonfly wing sections compared with technical airfoils. Journal of Experimental Biology 203, 3125-35
- [2] Okamoto M, Yusada K, Azuma A (1996) Aerodynamic characteristics of the wings and the body of a dragonfly. Journal of Experimental Biology 199, 281-94